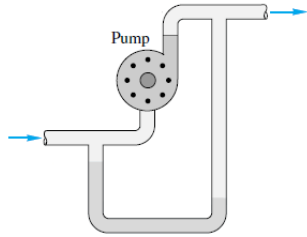
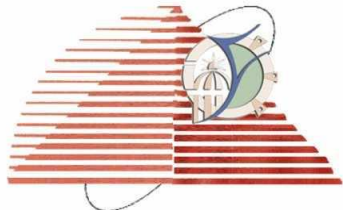


بِسْمِ اللَّهِ الرَّحْمَنِ الرَّحِيمِ

***Mechanical
Engineering
(2)***



Fayoum University



**Faculty of Engineering
Mechanical Engineering Dept.**

Lecture (6)

on

***Application of Fluid
Mechanics
(Hydraulic Machines)***

By

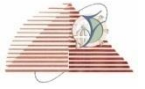
Dr. Emad M. Saad

Mechanical Engineering Dept.

Faculty of Engineering

Fayoum University

2015 - 2016



Application of Fluid Mechanics

3

Applications to power generation:

- 1. Pumps,**
- 2. Fans,**
- 3. Turbines,**
- 4. Compressors,**
- 5. Hydraulic and pneumatic control systems.**





Pumps

4

Introduction and Classification

Turbomachines divide naturally into those which add energy (pumps) and those which extract energy (turbines). The prefix *turbo-* is a Latin word meaning “spin” or “whirl,” appropriate for rotating devices.

1. Positive-displacement pumps

- A. Reciprocating
 - 1. Piston or plunger
 - 2. Diaphragm
- B. Rotary
 - 1. Single rotor
 - a. Sliding vane
 - b. Flexible tube or lining
 - c. Screw
 - d. Peristaltic (wave contraction)
 - 2. Multiple rotors
 - a. Gear
 - b. Lobe
 - c. Screw
 - d. Circumferential piston

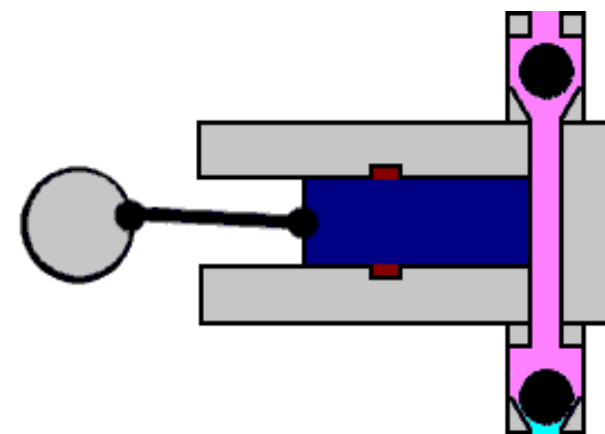
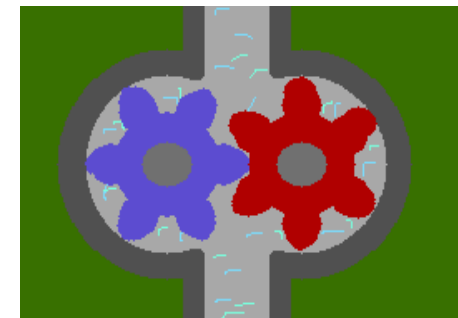
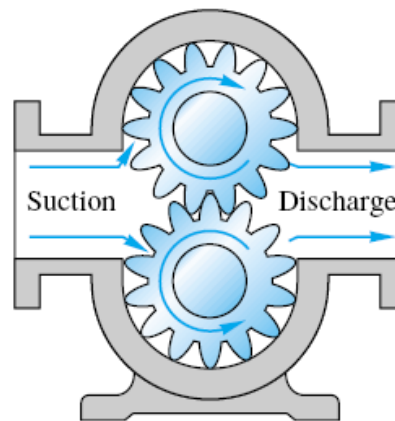
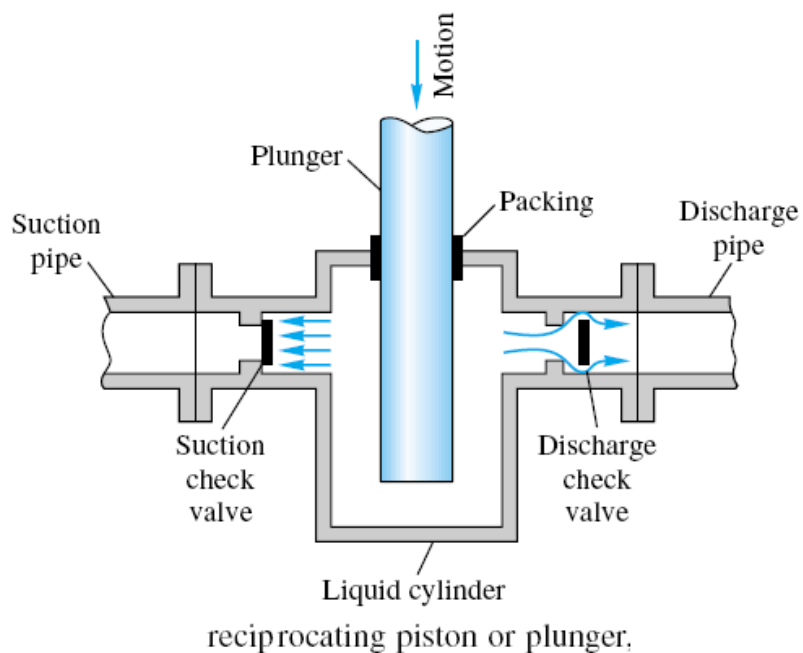




Pumps

5

1. Positive-displacement pumps

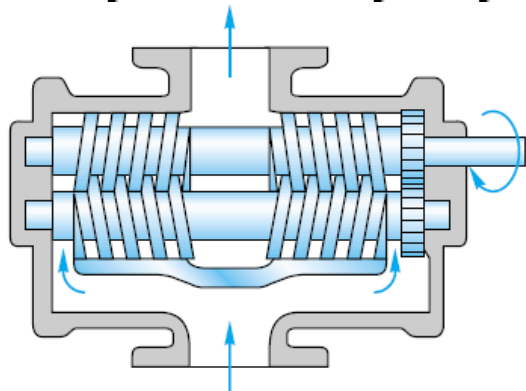




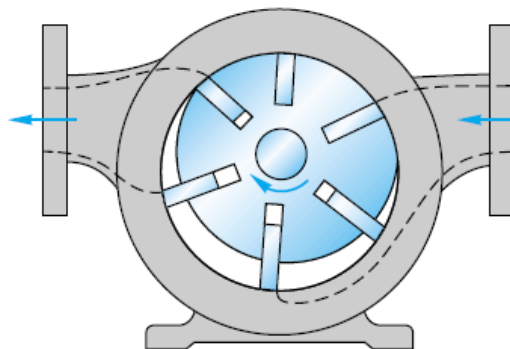
Pumps

6

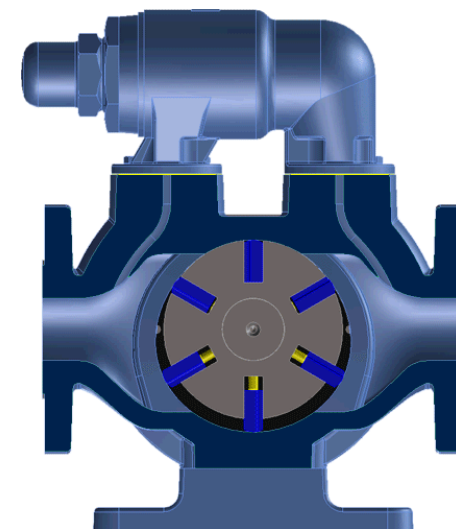
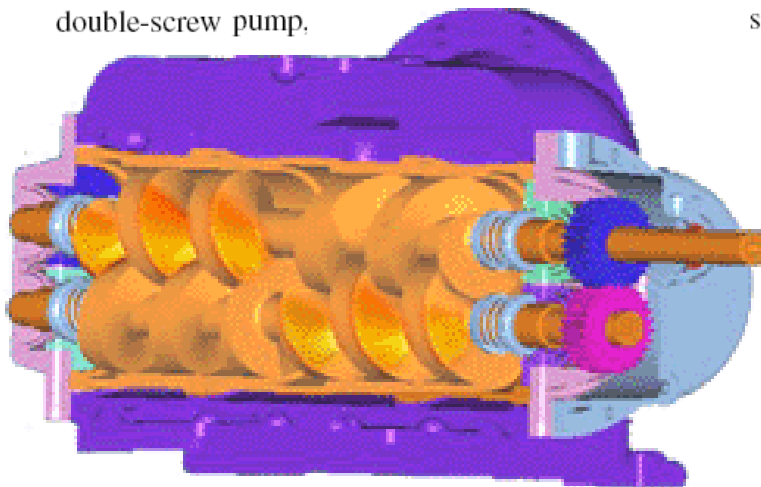
1. Positive-displacement pumps



double-screw pump.



sliding vane.

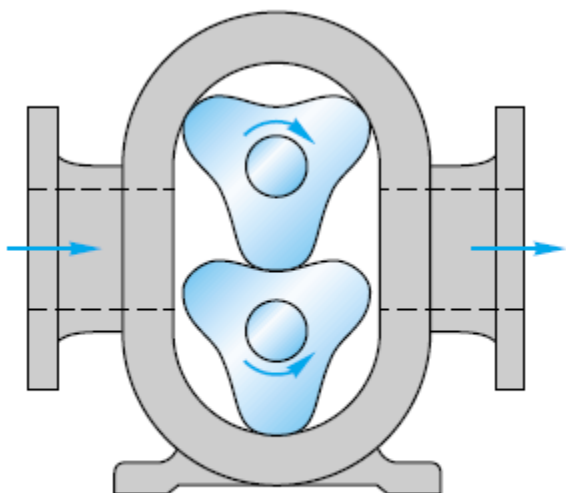




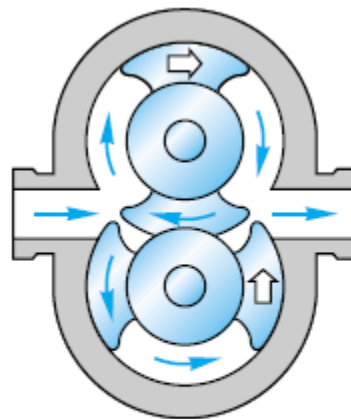
Pumps

7

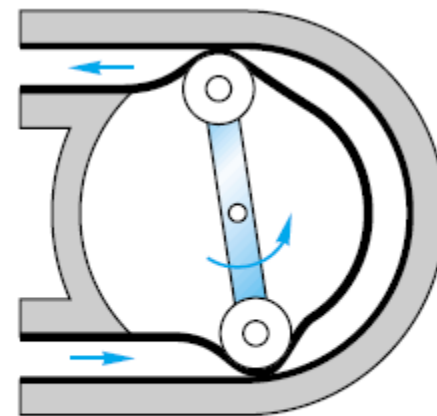
1. Positive-displacement pumps



three lobe pump,



double circumferential piston,



flexible-tube squeegee.





Pumps

8

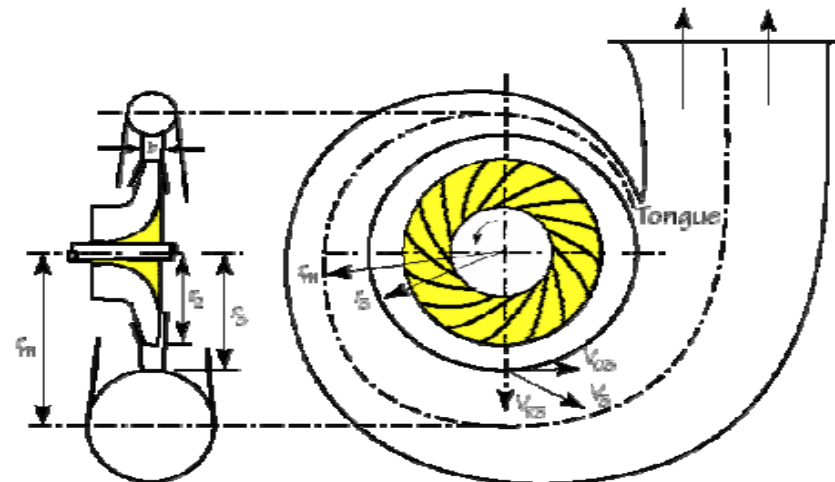
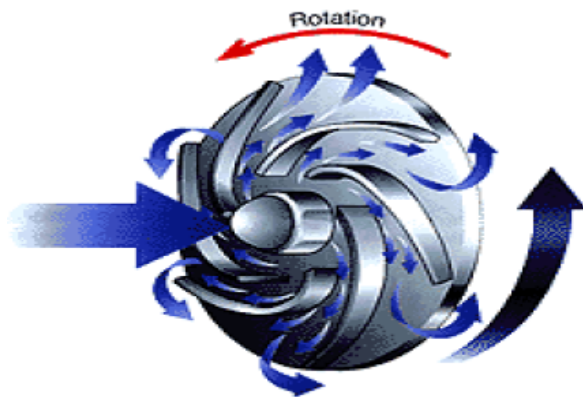
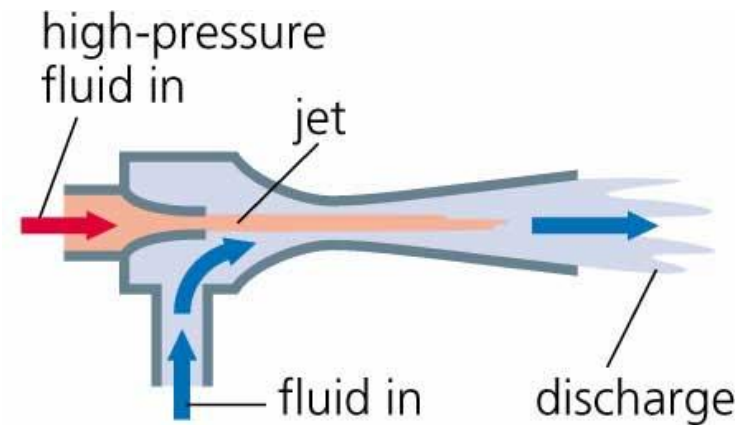
2. Dynamic pumps

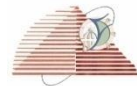
A. Rotary

1. Centrifugal or radial exit flow
2. Axial flow
3. Mixed flow (between radial and axial)

B. Special designs

1. Jet pump or ejector
2. Electromagnetic pumps for liquid metals
3. Fluid-actuated: gas-lift or hydraulic-ram





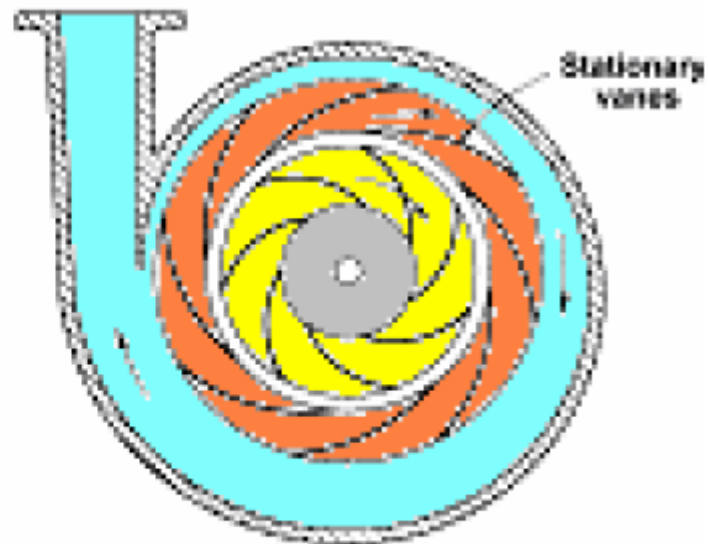
Pumps

9

The Centrifugal Pump Types



a. Volute Type



b. Diffuser Type

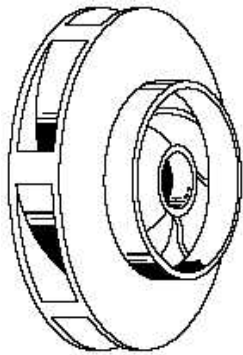




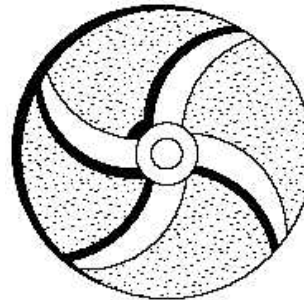
Pumps

10

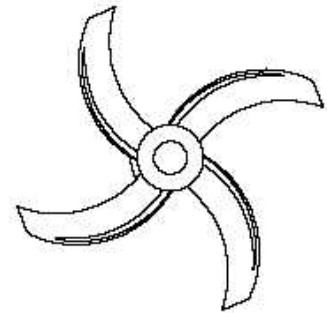
Impeller blades type



(a)



(b)



(c)

Fig. 4.4: Impeller blades type; Closes, (b) semi-closed, (c) open.





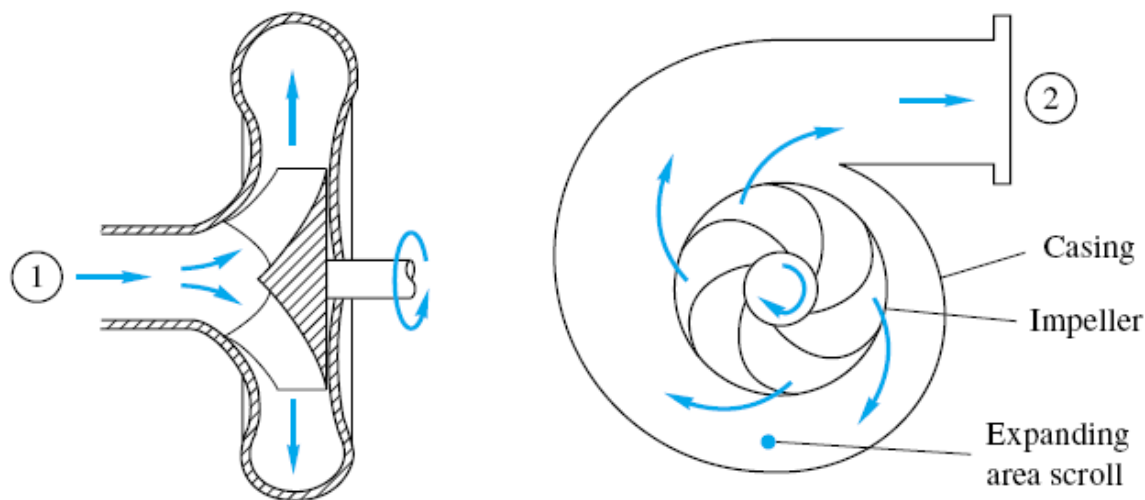
Pumps

11

The Centrifugal Pump

$$H = \left(\frac{p}{\rho g} + \frac{V^2}{2g} + z \right)_2 - \left(\frac{p}{\rho g} + \frac{V^2}{2g} + z \right)_1 = h_s - h_f$$

where h_s is the pump head supplied and h_f the losses.





Pumps

12

The Centrifugal Pump

Usually V_2 and V_1 are about the same, $z_2 - z_1$ is no more than a meter or so, and the net pump head is essentially equal to the change in pressure head

$$H \approx \frac{p_2 - p_1}{\rho g} = \frac{\Delta p}{\rho g} \quad \text{and} \quad \text{water horsepower. } P_w = \rho g Q H$$

$$\text{brake horsepower } \text{bhp} = \omega T \quad \text{and} \quad \eta = \frac{P_w}{\text{bhp}} = \frac{\rho g Q H}{\omega T}$$

$$\text{The volumetric efficiency } \eta_v = \frac{Q}{Q + Q_L} \quad \text{and} \quad \text{The hydraulic efficiency } \eta_h = 1 - \frac{h_f}{h_s}$$

$$\text{mechanical efficiency } \eta_m = 1 - \frac{P_f}{\text{bhp}}$$

where P_f is the power loss due to mechanical friction in the bearings, packing glands, and other contact points in the machine.

$$\text{the total efficiency } \eta \equiv \eta_v \eta_h \eta_m$$

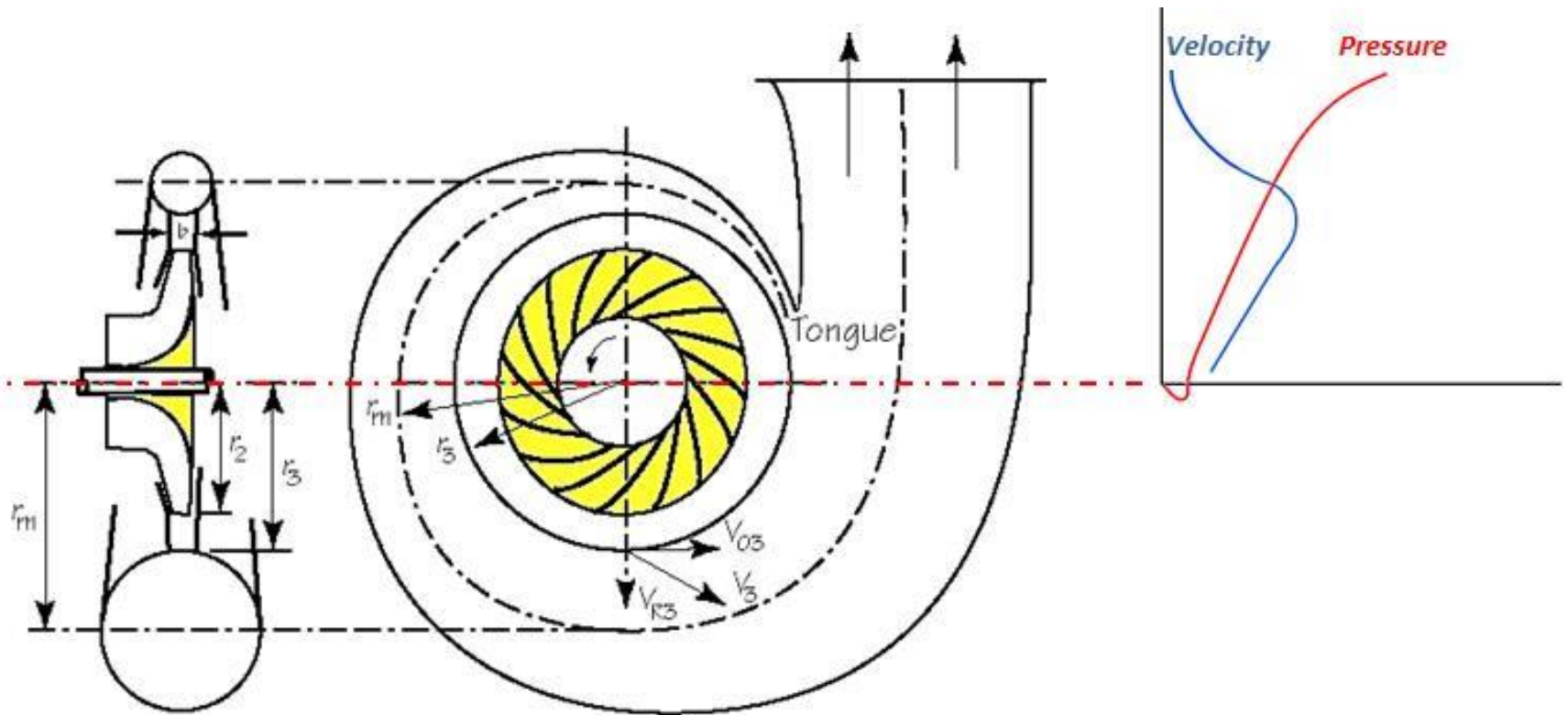




Pumps

13

The Centrifugal Pump

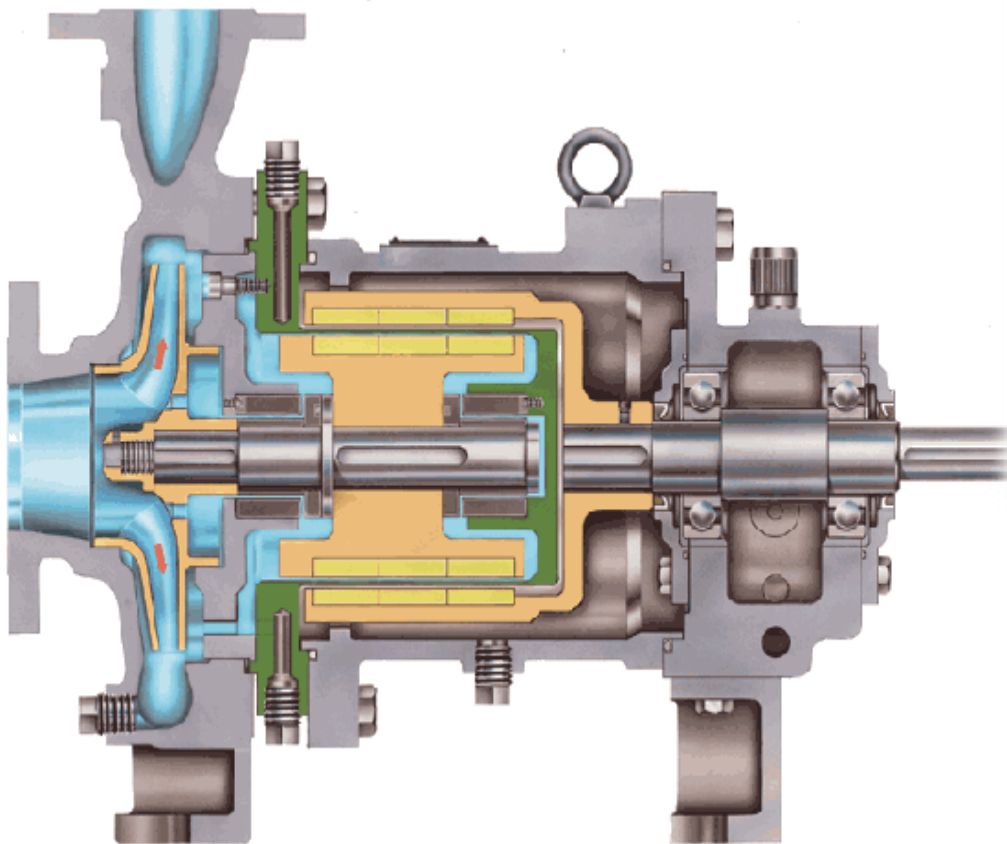




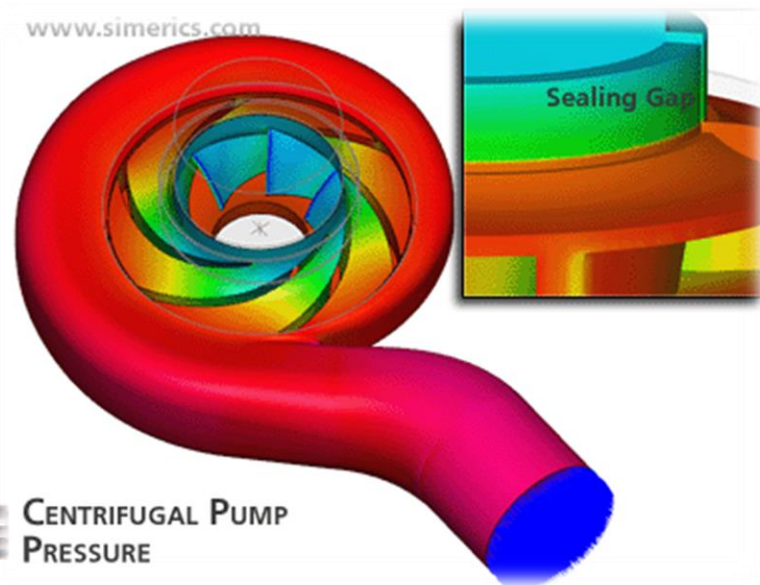
Pumps

14

The Centrifugal Pump



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CENTRIFUGAL PUMP
PRESSURE

Sealing Gap

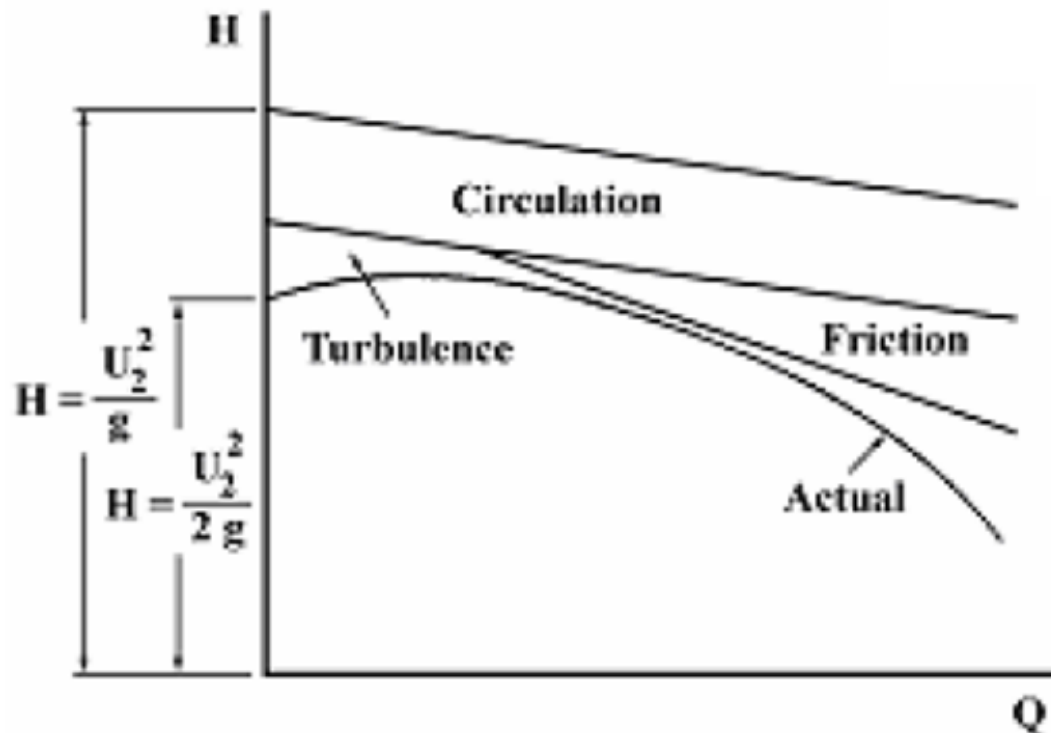




Pumps

15

*Centrifugal Pump Actual Performance:
Actual Head Capacity Curve:*

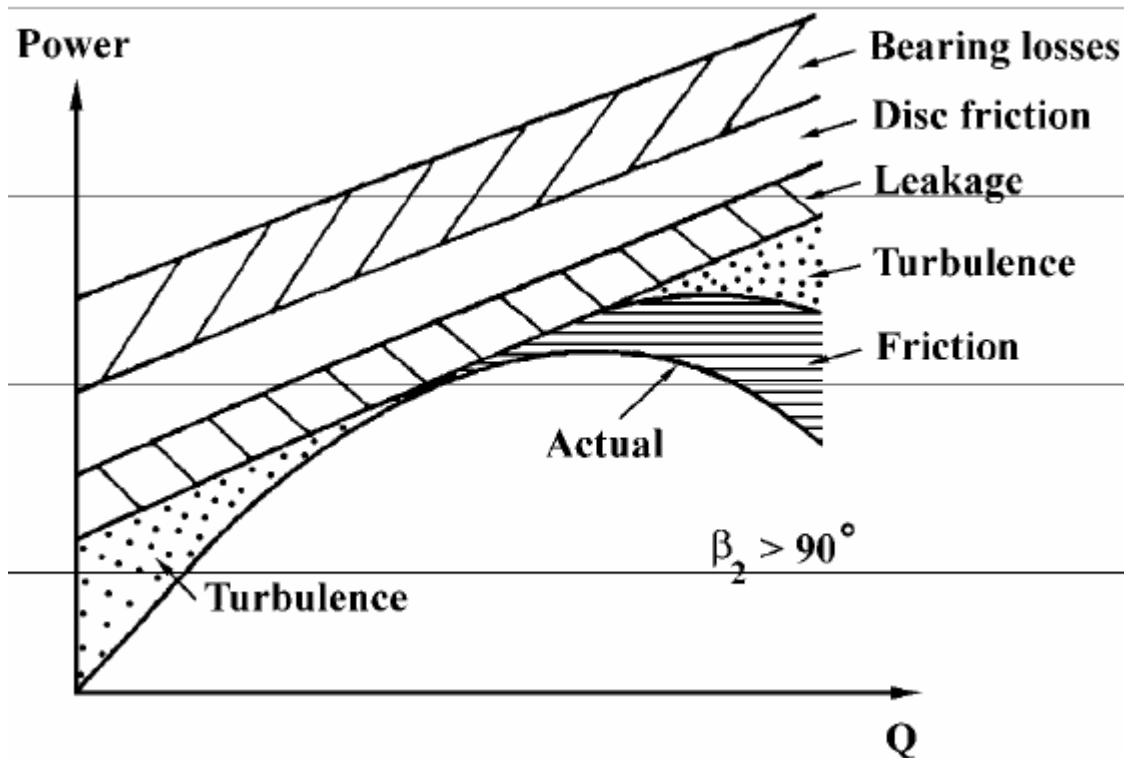


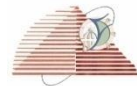


Pumps

16

Centrifugal Pump Actual Performance: Brake Horsepower and Efficiency Curves:

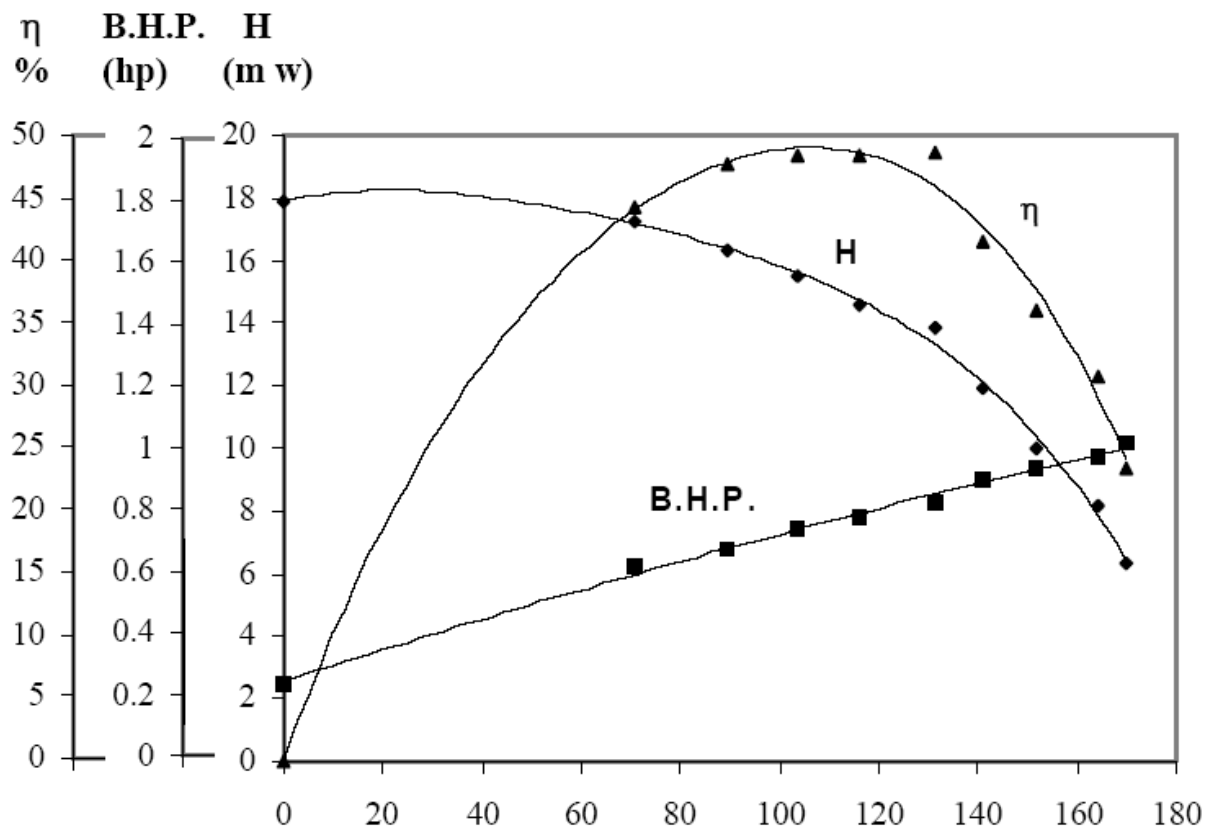




Pumps

17

Centrifugal Pump Actual Performance:





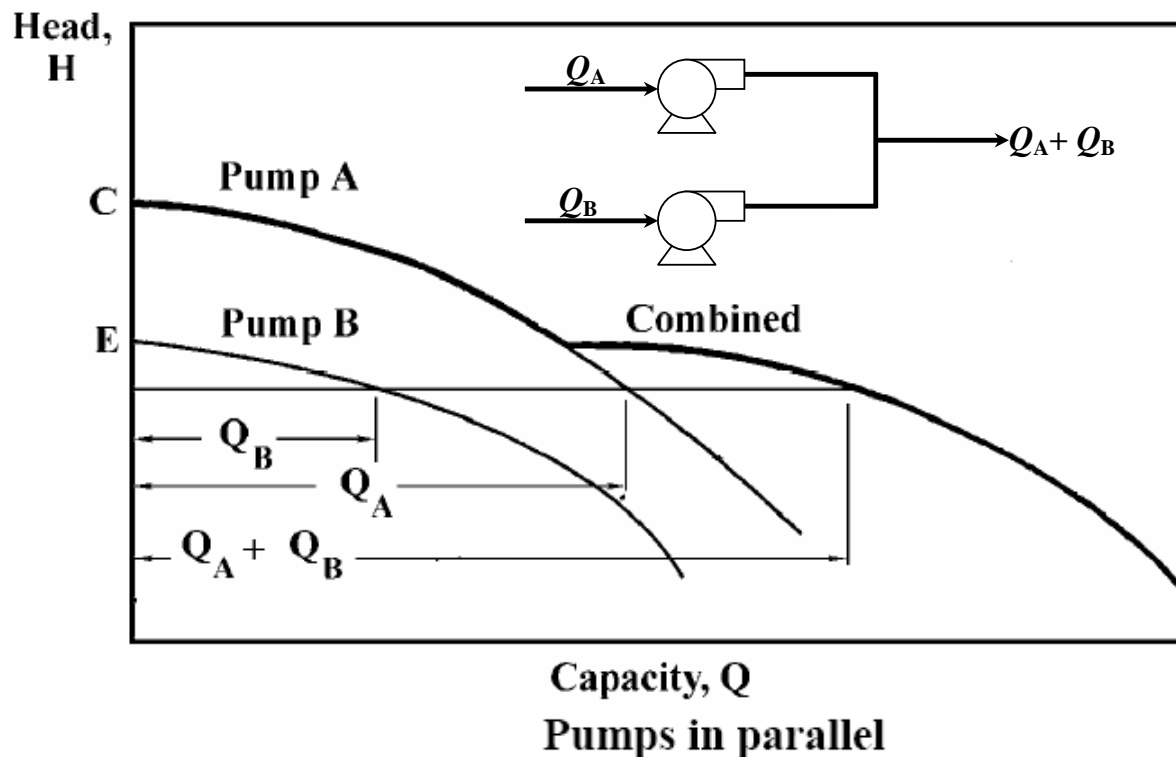
Pumps

18

Parallel and series operation

Pumps in Parallel: Usually used when large capacities are required

$$\eta = \rho g H \frac{\sum Q}{\sum BHP}$$





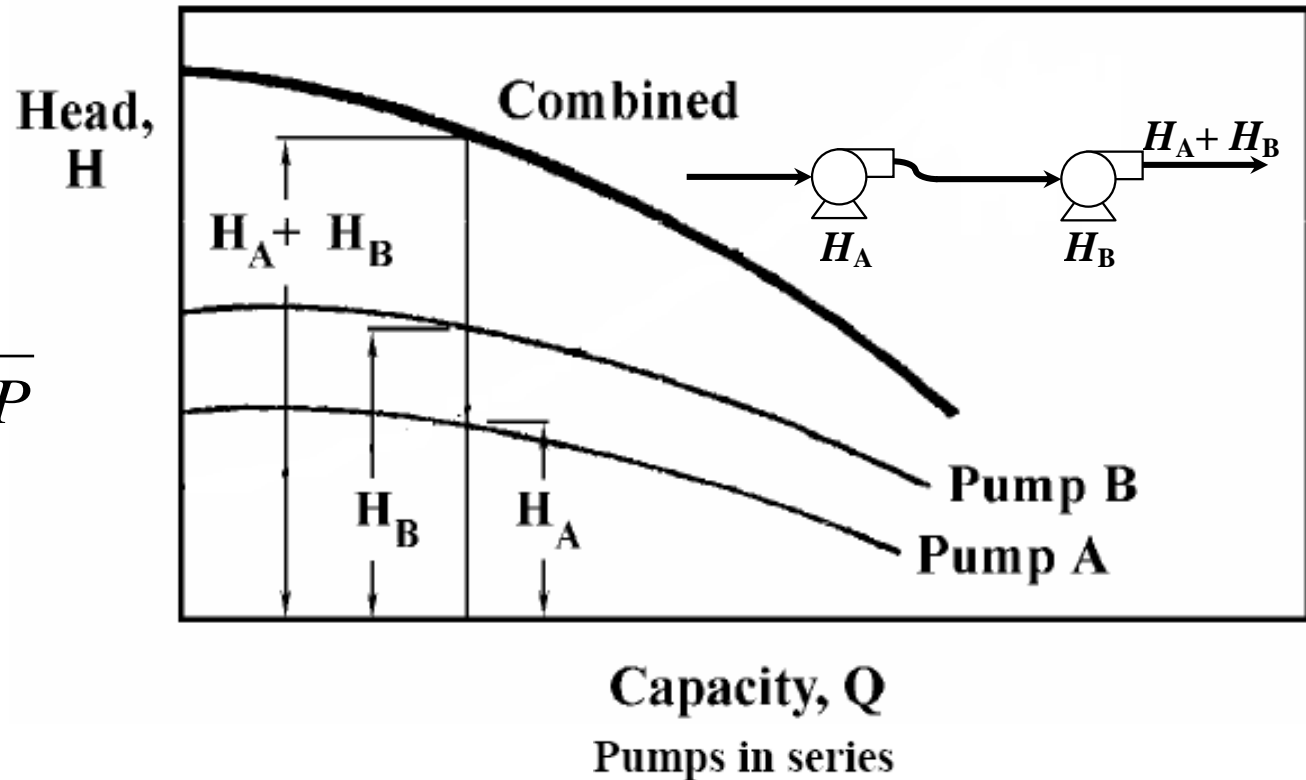
Pumps

19

Parallel and series operation

Pumps in Series: When a high head is required,

$$\eta = \rho g Q \frac{\sum H}{\sum BHP}$$





Positive-displacement pumps

20

Reciprocating Pump

$$Q = \frac{\pi D^2}{4} \frac{2 r n}{60}$$

where: D = diameter of ram
 r = crank radius
 n = speed in r.p.m.

$$\text{The swept volume} = \frac{\pi D^2}{4} \cdot 2r$$

